page	line	is	should be
1	34	any map	any map of contiguous regions
20	19	variable-conflict	variable conflict
50	11	$\left \underset{T \in X}{\biguplus} k(T) \right $	$= \left \underset{T \in X}{\biguplus} k(T) \right $
56	32	D.belowSum = 2	D.belowSum = 3
60	3	D.penalty	both <i>D.penalty</i> and <i>D.conflict</i> [S]
60	5	both $D.conflict[S]$ and $D.conflict[T]$	D.conflict[T]
60	16	D.penalty	both <i>D.penalty</i> and <i>D.conflict</i> [S]
60	18	D.conflict[S] and $D.conflict[T]$	D.conflict[T]
73	9	on page 18 of penalty	of penalty on page 18
78	5	page 20	page 21
93	1	incrementally,	incrementally,
106	18	the size	the maximum size
143	21	some boat	some host boat
145	22	lines 26 and 32	lines 27 and 32
151	6	line 17	line 18
178	18	the shortest	a shortest
182	18	the shortest	a shortest
187	23	Note that	Note that, when $k(S) \neq \mathbf{U}$ or $k(T) \neq \emptyset$,
198	4	$\left \underset{T \in X}{\biguplus} k(T) \right $	$= \left \underset{T \in X}{\biguplus} k(T) \right $
219	30	Jorg	Jörg

Errata of 18th January 2008

Page 186, line 27: 'Consider first the case ... under the current assumptions.' should be:

Consider first the case when R = S and k(T) = U (which implies that $k(S) \neq \emptyset$). Then we must have that $\emptyset \neq \ell(S) \subseteq \ell(T)$ since, otherwise, β would not be minimised (since the configuration $k \in \mathscr{L}$ would make β smaller). Given this we have that $\alpha - \beta = 1 - 1 = 0$ and the result follows by (A.27) under the current assumptions.